

# Title of the presentation

Pro  $C^*$ -algebras

## Abstract

Pro  $C^*$ -algebras are the generalisation of  $C^*$ -algebras in which the  $C^*$ -norm is replaced by a family of  $C^*$ -seminorms. In this talk, we discuss the analogy between pro  $C^*$ -algebra and  $C^*$ -algebra. Also, we discuss that any pro  $C^*$  algebra arises as the projective limit of  $C^*$ -algebras (hence, the name). With this observation, we write the spectrum of a pro  $C^*$ -algebra and see how it differs from its  $C^*$ -algebra counterpart. We will also see necessary and sufficient conditions under which a pro  $C^*$ -algebra isomorphic to a  $C^*$ -algebra.

## References

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