# Errata for <br> A Course in Calculus and Real Analysis, 2nd Ed. 

Sudhir R. Ghorpade and Balmohan V. Limaye<br>Undergraduate Texts in Mathematics, Springer-Verlag, New York, 2018

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In the following, "line $+i$ " means the $i$ th line from the top, whereas "line $-i$ " means the $i$ th line from the bottom. The text to be changed appears in red, while the corrected version appears in blue. In addition, we acknowledge the name of the person who first pointed out a correction listed here, by mentioning it in green color (and hyperlinking it to that person's web page, whenever possible) inside square brackets at the rightmost end of the line.

Page 27, Line - 7: Change 1 and 2 to the first and the second bullet points [Marc Paolella]
Page 49, Line +7 : Change $a_{n}$ to $A_{n}$
Page 51, Line $+\mathbf{6}$ : Change $\left(1-2^{p-1}\right)$ to $\left(1-2^{1-p}\right)$
[Marc Paolella]

Page 53, Lines $+\mathbf{2},+\mathbf{4}$ : Change Suppse to Suppose
[Marc Paolella]

Page 53, Line -12: Change arithmeric to arithmetic
Page 59, Line -15: Change $M_{n} \leq M_{n+1}$ to $M_{n} \geq M_{n+1}$
[Marc Paolella]
[Marc Paolella]
[Marc Paolella]
Page 61, Line + 6: Change $i$ contrast to in contrast
[Marc Paolella]
Page 66, Line -12: Change the the to the
Page 70, Line $+\mathbf{6}$ : Change Proposition 3.2 to Proposition 3.3
[Marc Paolella]
Page 97, Line + 3: Change $f(x) \rightarrow \infty$ to $f(x) \rightarrow-\infty$
[Kalpesh Haria]
Page 110, Line $+\mathbf{1 2}$ : Change (in two places) $c$ to 1
[Marc Paolella]
Page 111, Line $+\mathbf{7}$ : Change $\left(\left[f_{1}(x) g(x)\right.\right.$ to $\left(f_{1}(x) g(x)\right.$
[Kalpesh Haria]
Page 113, Line $+\mathbf{1 1}$ : Change $g$ to $g$ is
Page 113, Line -15: Change Hence by to By
Page 121, Line -9: Change $[0, \infty)$, On to $[0, \infty)$. On
[Marc Paolella]
Page 122, Line + 3: Change the to The

Page 179, Line -10: Change $c$ to $r$
Page 193, Line + 12: Change $U(Q, h)$ to $U(R, h)$ [Kalpesh Haria]
Page 193, Line + 12: Change $L(Q, h)$ to $L(R, h) \quad$ [Kalpesh Haria]
Page 194, Line + 6: Change $=$ to $\leq \quad$ [Marc Paolella]
Page 216, Line - 1: Change $\inf \{f(x): x \in D\}$ to $\inf D$ [Kalpesh Haria]
Page 216, Line -1: Change $\sup \{f(x): x \in D\}$ to $\sup D \quad$ [Kalpesh Haria]
Page 218, Line + 2: Change By to By multiplying both sides of this inequality by $x_{i}-x_{i-1}$ and
[Marc Paolella]
Page 220, Line + 7: Change from $J$ to from $E$
[Marc Paolella]
Page 220, Line $+\mathbf{1 5}$ : Change contained to not contained [Marc Paolella]
Page 220, Line $+\mathbf{1 7}$ : Change $\sum^{\prime \prime}$ to $\Sigma^{\prime}$ [Marc Paolella]
Page 238, Line - 2: Change from $(\exp )^{\prime} x=x$ to $(\exp )^{\prime} x=\exp x \quad$ [Marc Paolella]
Page 252, Line +7: Change from $\sin (-x)=\sin x$ to $\sin (-x)=-\sin x \quad$ [Marc Paolella]
Page 259, Line $+\mathbf{1}$ : Change Figure 7.12 to the Figure hyperlinked here.
Page 261, Line -2: Change nonzero $y$ to positive $y$
[Marc Paolella]
Page 262, Line +1: Change Figure 7.13 to Figure 7.13 (i) and Figure 7.13 (ii) [These figures, hyperlinked here, depict the behaviour of $f_{1}$ near 0 and away from 0.] [Marc Paolella]

Page 264, Line +1: Change Figure 7.14 to Figure 7.14 (i) and Figure 7.14 (ii) [These figures, hyperlinked here, depict the behaviour of $f_{2}$ near 0 and away from 0.] [Marc Paolella]

Page 298, Line-1: Insert: Here $\theta(0,0):=0$ and for $(x, y) \in \mathbb{R}^{2}$ with $(x, y) \neq(0,0)$, by $\theta(x, y)$ we mean $\theta$ given by the first displayed equation in Proposition 7.22.
[Marc Paolella]
Page 301, Line -16: Change $p$ to $p_{2}$
[Marc Paolella]
Page 375, Line $+\mathbf{1}$ : Change for $k \geq 2$ to for $k \geq 3$
[Kalpesh Haria]
Page 376, Line +10: Change Supose to Suppose
[Marc Paolella]
Page 377, Line -6: Change Exercise 9.15 to Proposition 9.15
[Marc Paolella]
Page 387, Line -5: Change rhe to the
[Marc Paolella]
Page 388, Line -2: Change $x^{s}$ to $x^{5}$
[Marc Paolella]
Page 389, Line -2: Change $f(0)=1$ to $f(0)=0$
[Abhaya Chitre]
Page 389, Line -2: Change $x \in(0,1)$ to $x \in(0,1]$
[Abhaya Chitre]
Page 390, Line +10 : Change $k>r+1$ to $k \geq r+1$

Page 392, Lines $\mathbf{+ 2 , + 3 , + 4}$ : Change the entire sentence We shall $\ldots$ of $f$. to For any $x \in[a, \infty)$, we may refer to $F(x)=\int_{a}^{x} f(t) d t$ as the partial integral up to $x$ of the improper integral $\int_{t \geq a} f(t) d t$.

Page 393, Line -5: Change of partial to of its partial
Page 394, Line $+\mathbf{9}$ : Change $F$ denote the partial integral function of $f$ to $F(x):=\int_{a}^{x} f(t) d t$ for $x \in[a, \infty)$

Page 395, Line $+\mathbf{1}$ : Change "partial integral" of $f$ to partial integral of $\int_{t \geq a} f(t) d t$
Page 395, Line + 8: Change the partial integral function of $\int_{t \geq a} f(t) d t$ to defined by $F(x):=$ $\int_{a}^{x} f(t) d t$ for $x \in[a, \infty)$

Page 395, Line -7: Change the partial integral function $F:[1, \infty) \rightarrow \mathbb{R}$ to $F:[1, \infty) \rightarrow \mathbb{R}$ defined by $F(x):=\int_{1}^{x} f(t) d t$ for $x \in[1, \infty)$,

Page 401, Line +5 : Change the partial integral function of $f$ to defined by $F(x):=\int_{a}^{x} f(t) d t$ for $x \in[a, \infty)$
Page 401, Line -8: Change $\int_{a}^{x}|f(t)| d t$ to $\int_{x}^{y}|f(t)| d t \quad$ [Marc Paolella]
Page 402, Line -6: Change part (i) to part (ii) [Marc Paolella]
Page 404, Line - 2: Change $\int_{t \geq a} f(t) d t$ to $\int_{t \geq a} f(t) g(t) d t \quad$ [Marc Paolella]
Page 406, Lines $+\mathbf{8},+\mathbf{9}$ : Change by considering $\phi:[b, a] \rightarrow \mathbb{R}$ given by $\phi(t):=t$, we see from Proposition 6.29 to it is easy to see
[Mrinmoy Datta]
Page 410, Line -7: Change $x \geq a$ to $x>a$
[Marc Paolella]
Page 412, Line -12: Change clear that to clear that the following inequalities hold if $q \geq 1$, whereas the reverse inequalities hold if $q<1$ :
[Marc Paolella]
Page 420, Line $+\mathbf{1 2}$ : Change its partial integral to the function
Page 437, Line $+\mathbf{9}$ : Change not true to not true in the sense that a sequence $\left(f_{n}\right)$ of continuously differentiable real-valued functions on $[a, b]$ can converge uniformly to a continuously differentiable function $f$, but the sequence $\left(f_{n}^{\prime}\right)$ of its derivatives need not converge uniformly to $f^{\prime}$
[Marc Paolella]
Page 472, Line + 3: Change a partial integral function to the partial integral function (up to $x$ )

Page 479, Line $+\mathbf{7},+\mathbf{8}$ : Omit corresponding to $f$, namely of the function
Page 479, Line +10 : Change carry to where $x \in[a, \infty)$, carry
Page 479, Line-11: Change corresponding to $f$ to up to $x$ of the improper integral $\int_{t \geq a} f(t, \cdot) d t$
Page 481, Line $+\mathbf{1 0}$ : Change corresponding to $f$ to up to $x$ of the improper integral $\int_{t \geq a} f(t, \cdot) d t$

[^0] if you notice any corrections not on the above list.


[^0]:    Note: Please notify the authors at sudhirghorpade@gmail.com or balmohan.limaye@gmail.com

